4	he size, $P$ , of a population of a certain species of insect at time $t$ months is modelled by the blowing formula.	he
	$= 5000 - 1000\cos(30t)^{\circ}$	
	Write down the maximum size of the population.	1]
	Write down the difference between the largest and smallest values of $P$ .	1]
	e) Without giving any numerical values, describe briefly the behaviour of the population ov time.	er
	f) Find the time taken for the population to return to its initial size for the first time.	2]
	Determine the time on the second occasion when $P = 4500$ .	4]
	scientist observes the population over a period of time. He notices that, although the population aries in a way similar to the way predicted by the model, the variations become smaller an analler over time, and $P$ converges to 5000.	
	Suggest a change to the model that will take account of this observation.	1]