-	-						
8	(a)	(i)	$f(x) \in \Box$	<b>B1</b>	2.5	Allow alternative notation, or	Accept just
						worded equivalent	Allow $(-\infty, \infty)$
						Allow <i>y</i> , or just f, but not <i>x</i>	
				[1]			
		(ii)	$g(x) \in (-\infty, -1] \cup [1, \infty)$	<b>B1</b>	2.5	Allow alternative notation, or	Or $(-\infty, \infty)$ with $(-1, 1)$ clearly excluded
						worded equivalent	
						Allow <i>y</i> , or just g, but not <i>x</i>	
				[1]			
	<b>(b)</b>	(i)	$\cos(0.6) = 0.8253$ , so	M1	2.1	Attempt correct composition of	At least one interim value required
			$\sec(0.6) = \frac{1}{0.8253} = 1.2116$			functions	
			$2\tan(1.2116) = 2 \times 2.6634 = 5.3269$				
			hence $fg(0.6) = 5.33$ <b>A.G.</b>	A1	2.1	Conclude with 5.33	
				[2]			<b>SC B1</b> for stating $2\tan(1 \div \cos 0.6) = 5.33$
		<b>(ii)</b>	f(x) is a many to one function so has no	<b>B</b> 1	2.4	Must refer to inverse of f not	Must be clear that referring to the function
			inverse			existing, with reason	f

Question		n	Answer	Marks	AO	Guidance		
				[1]				
	(c)		DR $4\tan^2 x + 6\sec x = 0$ $4(\sec^2 x - 1) + 6\sec x = 0$	M1	3.1a	Attempt use of identity in their equation to obtain quadratic	Allow $\tan^2 x = \pm \sec^2 x \pm 1$ Award M1 when reduced to single trig	
			$4\sec^2 x + 6\sec x - 4 = 0$	A1	1.1	Obtain correct equation in secx – possibly still with brackets	ratio Or correct quadratic in $\cos x$ – possibly still with brackets but with no fractions $(4\cos^2 x - 6\cos x - 4 = 0)$	
			$\sec x = -2, \ \sec x = \frac{1}{2}$	M1	1.1	Solve 3 term quadratic and attempt to find at least one value for $x$	Could solve quadratic BC Must be using root that would give solution for <i>x</i>	
			$x = \frac{2}{3}\pi, \ \frac{4}{3}\pi$	A1	1.1	Obtain at least one correct value	Allow decimals or in degrees Must be from correct solution method of correct quadratic (condone second root not being seen – but must be correct if seen)	

